# **Neural Machine Translation**

CSE 447 / 517 March 10th, 2022 (Week 10)

# Logistics

- A9 is due **tomorrow 11:59 PM** (March 11th, 2022)

# Agenda

- Neural Machine Translation
- Quiz 9
- Q&A

# Neural Machine Translation (NMT)

- Based on new model archetype: seq-to-seq or encoder-decoder
- High-level model:  $p(E = e \mid f) = p(E = e \mid encode(f))$  $= \prod_{j=1}^{\ell} p(e_j \mid e_0, \dots, e_{j-1}, encode(f))$
- The model has two parts:
  - Encoder that takes in the source language sentence f and outputs an encoding of the sentence encode(f)
  - Decoder that at step j predicts the target language word e<sub>j</sub> from the previously output target language words e<sub><i</sub> and encode(f)

# **Neural Machine Translation (NMT)**



#### Sequence-to-sequence: the bottleneck problem



**Problems with this architecture?** 















Use the attention distribution to take a **weighted sum** of the encoder hidden states.

The attention output mostly contains information from the hidden states that received high attention.

















Decoder RNN

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#### **Attention: in equations**

- We have encoder hidden states  $h_1, \ldots, h_N \in \mathbb{R}^h$
- On timestep *t*, we have decoder hidden state  $s_t \in \mathbb{R}^h$
- We get the attention scores  $e^t$  for this step:

$$oldsymbol{e}^t = [oldsymbol{s}_t^Toldsymbol{h}_1, \dots, oldsymbol{s}_t^Toldsymbol{h}_N] \in \mathbb{R}^N$$

- We take softmax to get the attention distribution  $\alpha^t$  for this step (this is a probability distribution and sums to 1)

$$\alpha^t = \operatorname{softmax}(\boldsymbol{e}^t) \in \mathbb{R}^N$$

- We use  $\alpha^t$  to take a weighted sum of the encoder hidden states to get the attention output  $a_t$  N

$$oldsymbol{a}_t = \sum_{i=1} lpha_i^t oldsymbol{h}_i \in \mathbb{R}^h$$

• Finally we concatenate the attention output  $a_t$  with the decoder hidden state  $s_t$  and proceed as in the non-attention seq2seq model

$$[oldsymbol{a}_t;oldsymbol{s}_t]\in\mathbb{R}^{2h}$$

# Final notes on NMT

- To **decode** (get a translated sentence from the MT model), we can use methods discussed for previous sequence labeling tasks: greedy decoding, beam search, etc.
- We show how to use the encoder-decoder model for MT, but this is a general setup that works:
  - For many different NLP tasks
  - With different NN architectures (RNNs, Transformers)

#### Quiz 9 - Problem 1

Instantiation of IBM model 1 trained to give the probability of English given Latin:

 $\begin{array}{ll} p(* \mid dubito) = [I: 0.5, \ doubt: 0.5, \ldots] & p(* \mid cogito) = [I: 0.49, \ think: 0.51, \ldots] \\ p(* \mid sum) = [I: 0.51, \ am: 0.49, \ldots] & p(* \mid ergo) = [therefore: 0.99, \ I: 0, \ldots] \\ p(* \mid ,) = [, : 1, \ldots] & p(* \mid .) = [. : 1, \ldots] \end{array}$ 

Consider the parallel sentences:

dubito , ergo cogito , ergo sum . I doubt , therefore I think , therefore I am .

Infer the **single most probable alignment** of each English word to a Latin word in this sentence pair. Which Latin word will the first instance of "I" align to?

# Quiz 9 - Problem 1

Suppose you are going to infer the **single most probable alignment** of each English word to a Latin word in this sentence pair. Which Latin word will the first instance of "I" align to?

The posterior probability of each Latin word w given the English word I is proportional to p(I | w), so we have:

0.5 dubito 0.49 cogito 0.51 sum

Renormalizing this in the same way as the E step gives:

p(dubito | I) = 0.333 p(cogito | I) = 0.327 p(sum | I) = 0.340

The most probable alignment for the first "I" in sentence 2 will be to "sum" in sentence 1 ... and indeed all instances of "I" in sentence 2 will align to "sum".

# Q & A